

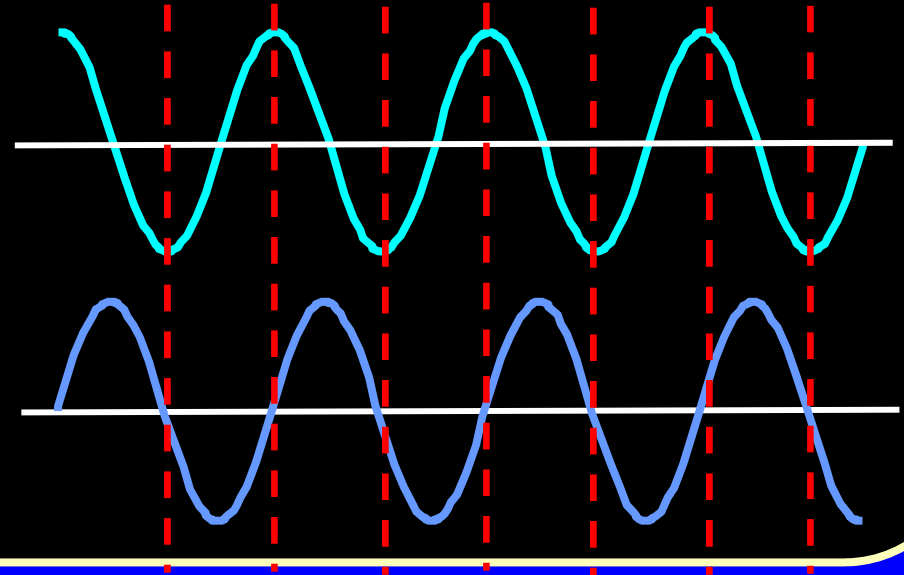
## ConceptTest 34.2a

## Phase Difference I



The two waves shown are

- 1) out of phase by  $180^\circ$
- 2) out of phase by  $90^\circ$
- 3) out of phase by  $45^\circ$
- 4) out of phase by  $360^\circ$
- 5) in phase

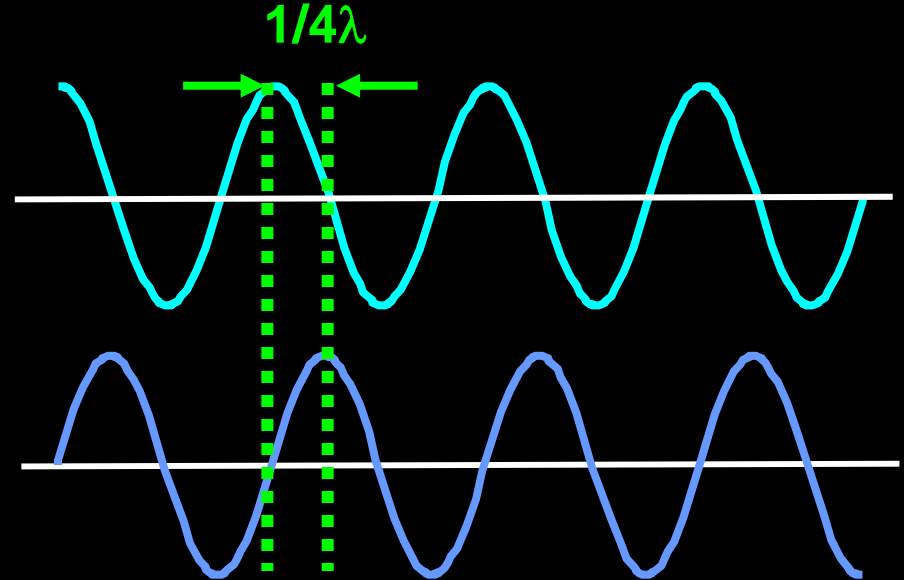


## ConceptTest 34.2a

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- 1) out of phase by  $180^\circ$
- 2) out of phase by  $90^\circ$
- 3) out of phase by  $45^\circ$
- 4) out of phase by  $360^\circ$
- 5) in phase

## Phase Difference I



The two waves are out of phase by  **$1/4$  wavelength** (as seen in the figure), which corresponds to a phase difference of  **$90^\circ$** .

**Follow-up:** What would the waves look like for (4) to be correct?

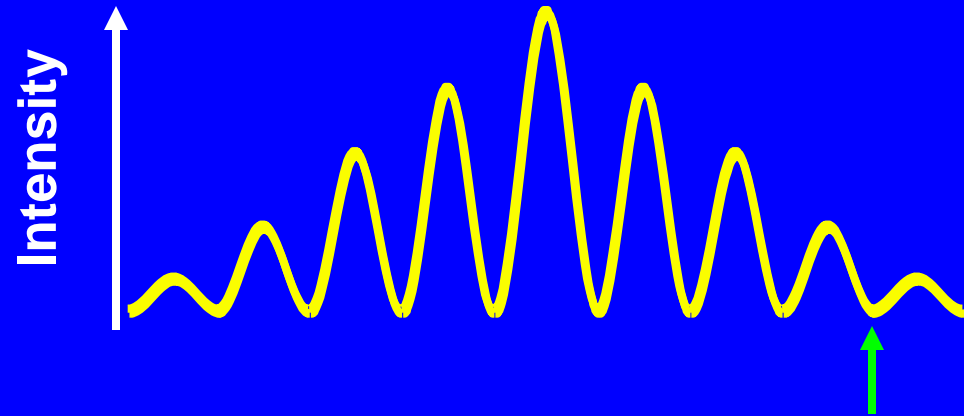
## ConceptTest 34.4



## Path Difference

In a double-slit experiment, what *path difference* have the waves from each slit traveled to give a minimum at the indicated position?

- 1) there is no difference
- 2) half a wavelength
- 3) one wavelength
- 4) three wavelengths
- 5) more than three wavelengths



## ConceptTest 34.4

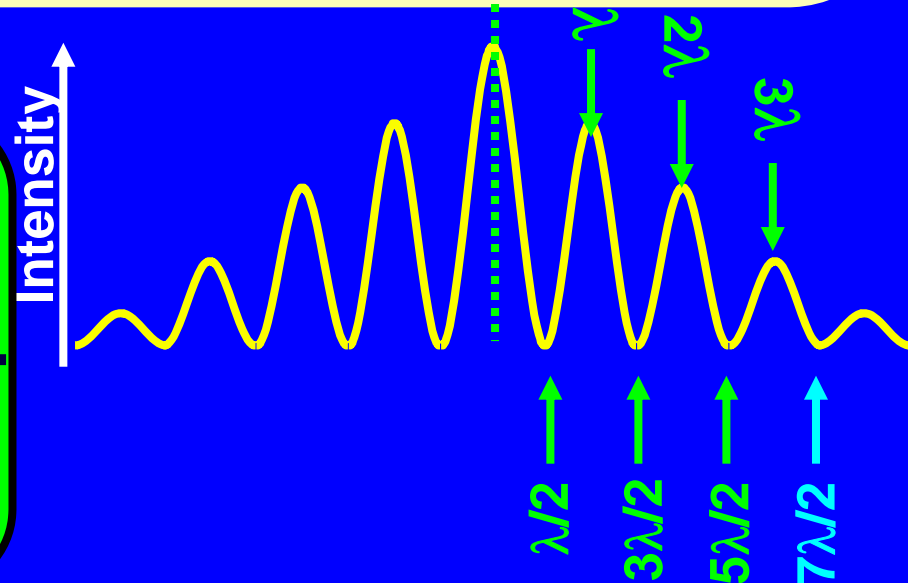
In a double-slit experiment, what *path difference* have the waves from each slit traveled to give a minimum at the indicated position?

## Path Difference

- 1) there is no difference
- 2) half a wavelength
- 3) one wavelength
- 4) three wavelengths
- 5) more than three wavelengths

For destructive interference

$$\delta = 1/2 \lambda, 3/2 \lambda, 5/2 \lambda, 7/2 \lambda, \dots$$
$$= (m + 1/2) \lambda$$



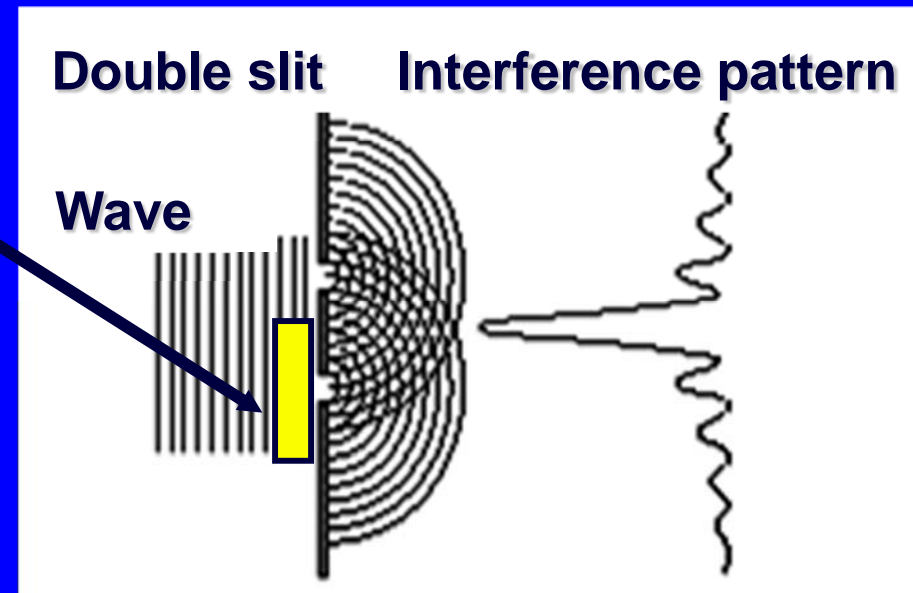
## ConceptTest 34.5

## Interference Pattern



An interference pattern is seen from two slits. Now cover one slit with **glass**, introducing a phase difference of  $180^\circ$  ( $1/2$  wavelength) at the slits. How is the pattern altered?

- 1) pattern vanishes
- 2) pattern expands
- 3) bright and dark spots are interchanged
- 4) pattern shrinks
- 5) no change at all



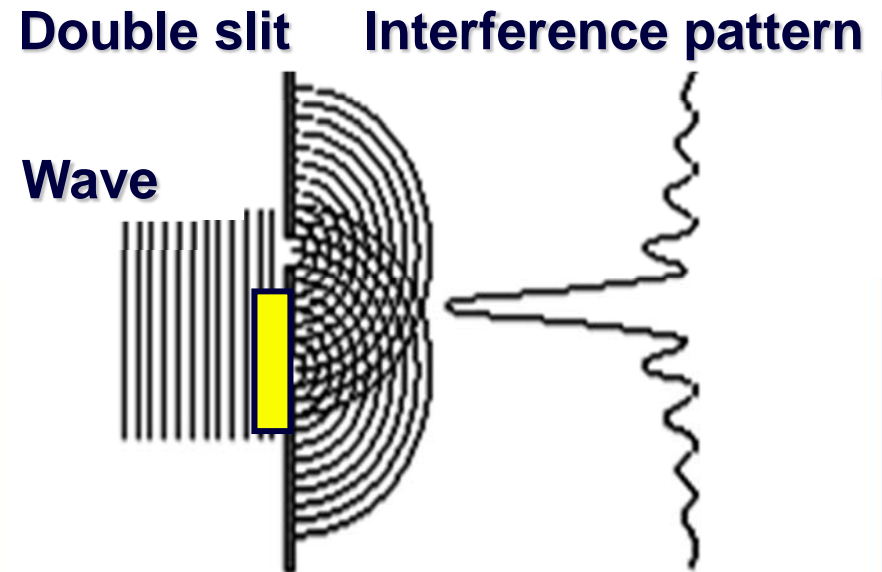
## ConceptTest 34.5

An interference pattern is seen from two slits. Now cover one slit with **glass**, introducing a phase difference of  $180^\circ$  ( $1/2$  wavelength) at the slits. How is the pattern altered?

## Interference Pattern

- 1) pattern vanishes
- 2) pattern expands
- 3) bright and dark spots are interchanged
- 4) pattern shrinks
- 5) no change at all

If the waves originating from the two slits have a **phase difference of  $180^\circ$**  when they start off, the central spot will now be **dark!!** To the left and the right, there will be bright spots. Thus, **bright and dark spots are interchanged.**



**Follow-up:** What happens when the phase difference is  $90^\circ$ ?

## ConceptTest 34.1



If waves A and B are superposed (that is, their amplitudes are *added*) the resultant wave is

## Superposition

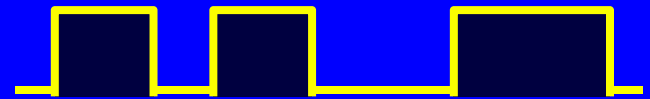
A



B



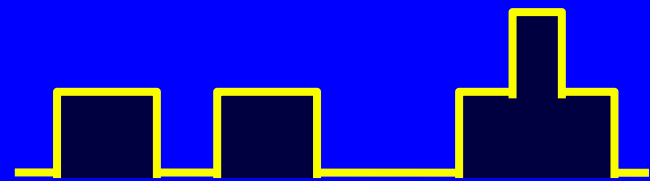
1)



2)



3)



4)



## ConceptTest 34.1

If waves A and B are superposed (that is, their amplitudes are *added*) the resultant wave is

## Superposition

A



B



The amplitudes of waves A and B have to be added at each point!

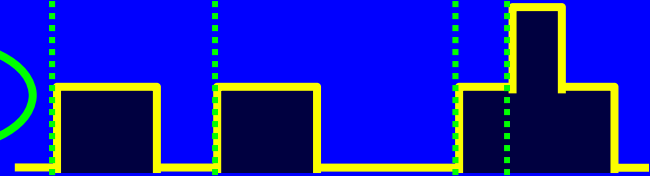
1)



2)



3)



4)



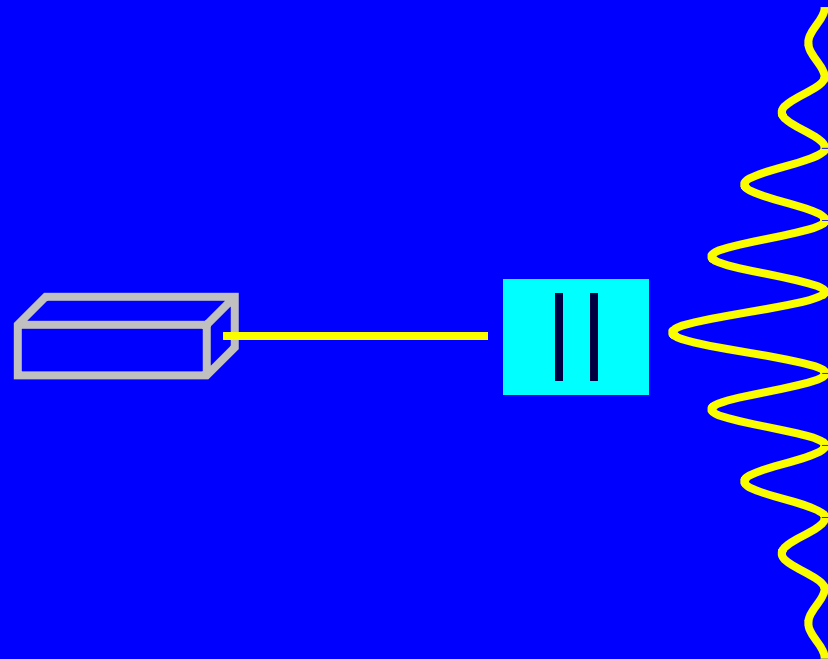
## ConceptTest 34.3a

## Double Slits I



In a double-slit experiment,  
when the **wavelength** of the light  
is **increased**, the interference  
pattern

- 1) spreads out
- 2) stays the same
- 3) shrinks together
- 4) disappears



## ConceptTest 34.3a

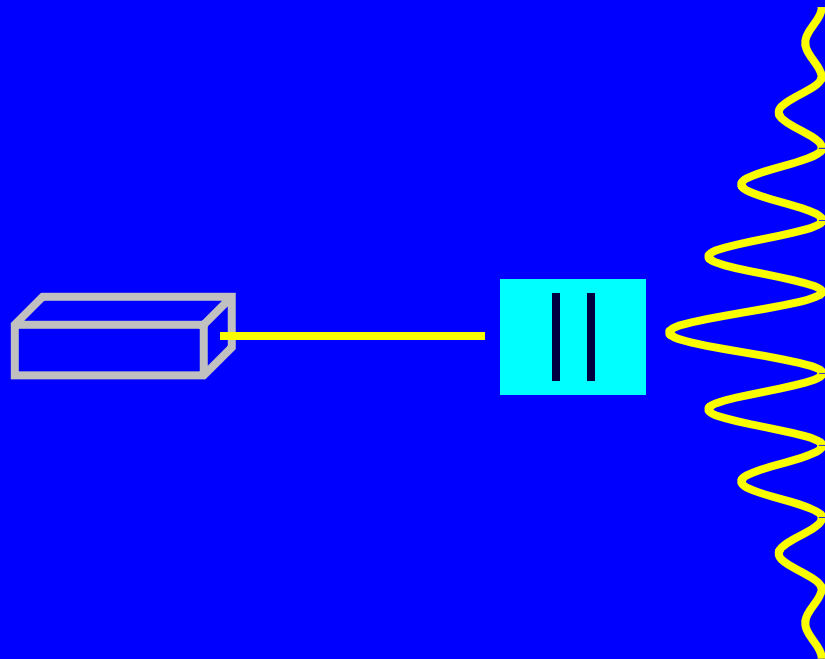
## Double Slits I

In a double-slit experiment, when the **wavelength** of the light is **increased**, the interference pattern

- 1) spreads out
- 2) stays the same
- 3) shrinks together
- 4) disappears

$$d \sin \theta = m\lambda$$

If  $\lambda$  is increased and  $d$  does not change, then  $\theta$  must increase, so the pattern spreads out.



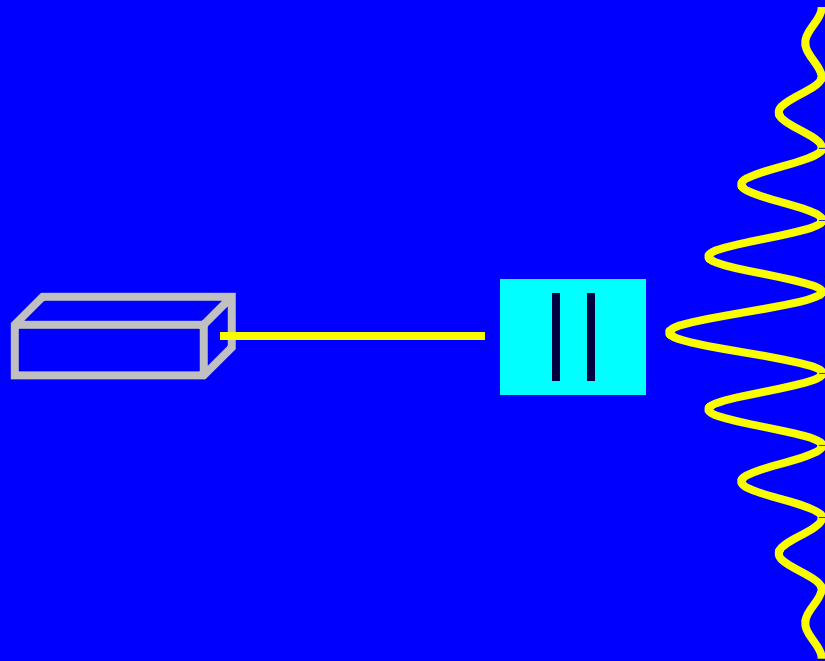
## ConceptTest 34.3b

## Double Slits II



If instead the **slits** are moved **farther apart** (without changing the wavelength) the interference pattern

- 1) spreads out
- 2) stays the same
- 3) shrinks together
- 4) disappears



## ConceptTest 34.3b

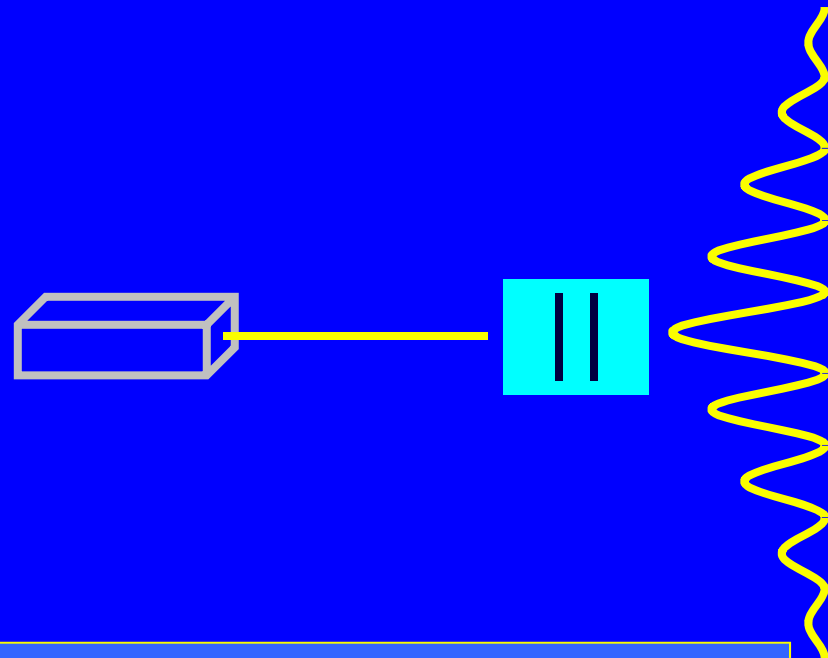
## Double Slits II

If instead the **slits** are moved **farther apart** (without changing the wavelength) the interference pattern

- 1) spreads out
- 2) stays the same
- 3) shrinks together
- 4) disappears

$$d \sin \theta = m\lambda$$

If instead  $d$  is increased and  $\lambda$  does not change, then  $\theta$  must decrease, so the pattern shrinks together.



**Follow-up:** When would the interference pattern disappear?